

# SURYA PRAKASH

Speaker

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- Working with ITC PSPD- Unit Bhadrachalam. (Production and process/ product development)
- M.Tech. in Pulp and Paper technology from IPT Saharanpur.  
Certified professional in “Six Sigma Green Belt & Black Belt ” & in “Statistical Quality Control methodology” by Indian Statistical Institute (ISI) - Hyderabad.

Passionate in improving efficiency with an inclination towards training & sharing of knowledge among the team members.

- Quality ( NCP Reduction by 8%) and productivity ( by 18% ) improvement in Absorbent Kraft Paper by identifying the controlling factors for castor oil absorbency.
- Improved the board surface for better printing by optimizing the steam and condensate system for improving adhesion at MG.
- (The above 2 case studies were presented at Chemical Department , IIT Roorkee)
- Productivity enhancement in MG Tx (Cup Stock) by 12% .

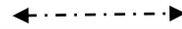
**This case study was presented in CII South India .**



Poor control  
on bowling

Not capable





Range  
where the  
bowling is  
Required



Range where the bowling is  
Actual happening

Capability :  
how many balls  
are on wickets?

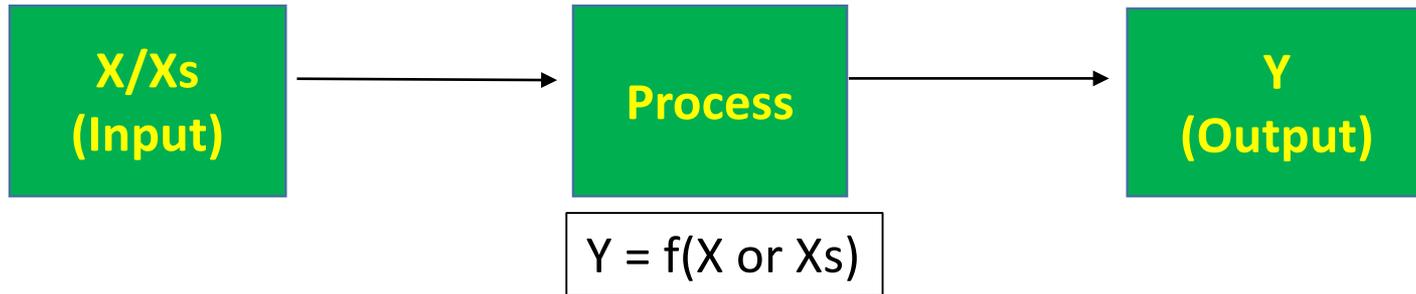




Better than before  
& this time it is  
capable also.



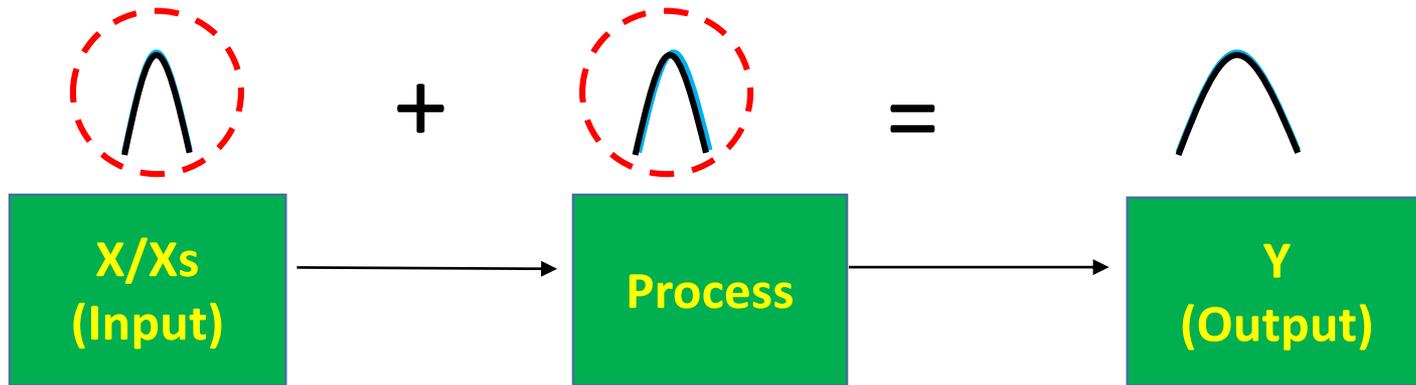
# Statistical Model of any process- IPO



**Say for example,**

1. The formation index is a function of Head Box % Cy.
2. Plybond is a function of refining & moisture of the layers being merged.
3. Burst factor is a function of SR, starch level, starch cooking conditions etc.
4. Steam economy at the evaporators is a strong function of % solid of and temp of weak black liquor.
5. Productivity is a function of gsm..maximum at anchored gsm

# How variability in output comes ?



1. Chip thickness in pulping.
2. Blending of raw material
3. Properties of raw material
4. Change in Chemical

1. Temp variation
2. Vac level variation
3. Flow rate variation
4. %Cy variation
5. SR Variation

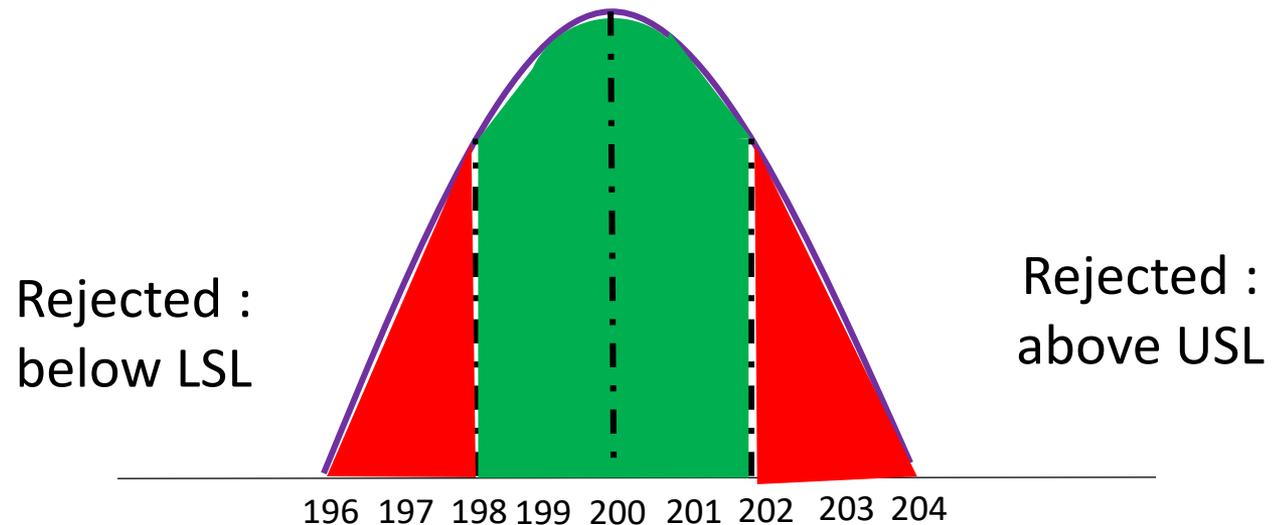
Variability in Y/Output is a summation of variability in inputs and process

**So the variations in the inputs & process are to be controlled to  
Minimize the variability in the Output**

## Variation- Partially accepted / Partially rejected

The boundaries which bound the acceptable region are called as Lower specification limits LSL & upper specification limit USL.

The difference  $USL - LSL$  is called accepted range or **Tolerance**.



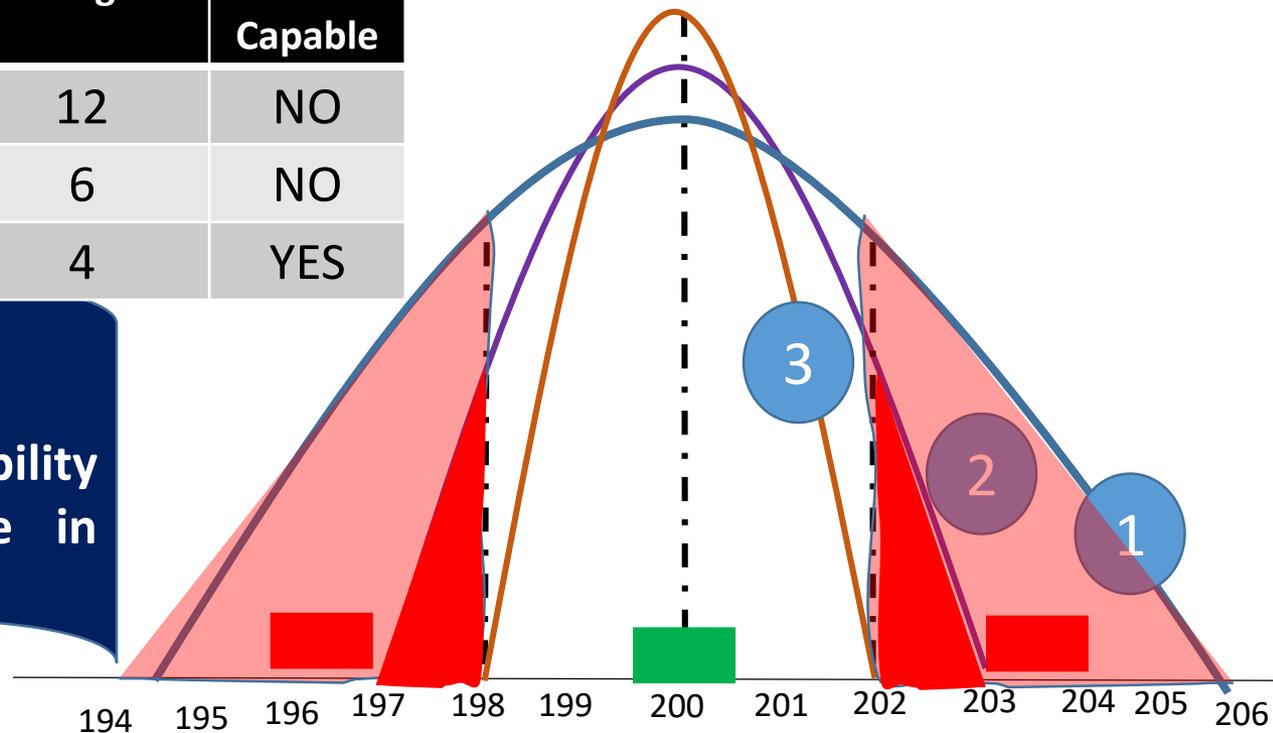
The variation must be within **TOLERANCE**.

It is a measure of **Process Capability**.

This is the minimum condition of a **Capable Processes**.

| Process | Min | Max | Produced Range | Is Process Capable |
|---------|-----|-----|----------------|--------------------|
| 1       | 194 | 206 | 12             | NO                 |
| 2       | 197 | 203 | 6              | NO                 |
| 3       | 198 | 202 | 4              | YES                |

**Inference:-**  
The Process Capability  
Increases with decrease in  
range being produced.



We can not control until we measure  
So ,let us measure the capability of a process

## Calculation of Process Capability (Cp)

$$C_p = \frac{\text{Required Range / Tolerance ( USL-LSL )}}{6^* \sigma \text{ (sigma/Standard deviation SD)}}$$

(customer specification)

Fixed : defined by the customer

$6^* \sigma > \text{Tolerance}$  ,  $C_p < 1$  Process is not capable ,

$6^* \sigma = \text{Tolerance}$  ,  $C_p = 1$  Process is just capable,

$6^* \sigma < \text{Tolerance}$  ,  $C_p > 1$  Process is in better control and can take care of small deviation too.

**It shows that higher the value of Cp, higher is the capability of the process.**

**But the important question is how to increase Cp?**

The only option left over is  
“ Reduce Variation”  
i.e.  
“Reduce SD...”

## Why improving Cp is required ?

- Improving /Controlling Cp improves the quality of the output.
- Quality/ Service becomes more consistent.
- It can be used value adding parameter to enhance the brand value.
- It helps in reducing cost of poor quality. ( Rework / inspection )
- Apart of reducing cost, it improves morale of the team.
- And the above all the quality becomes **Predictable.**

# Methodology to implement Cp

## Three step method :

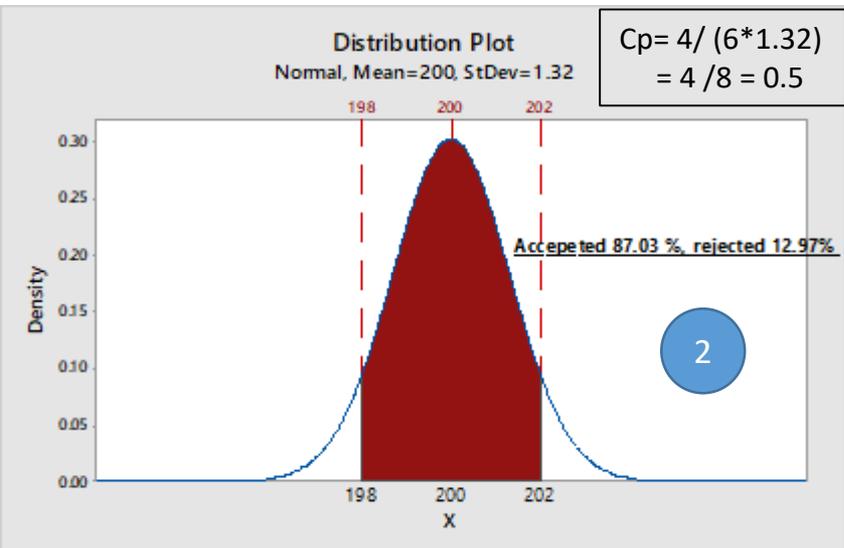
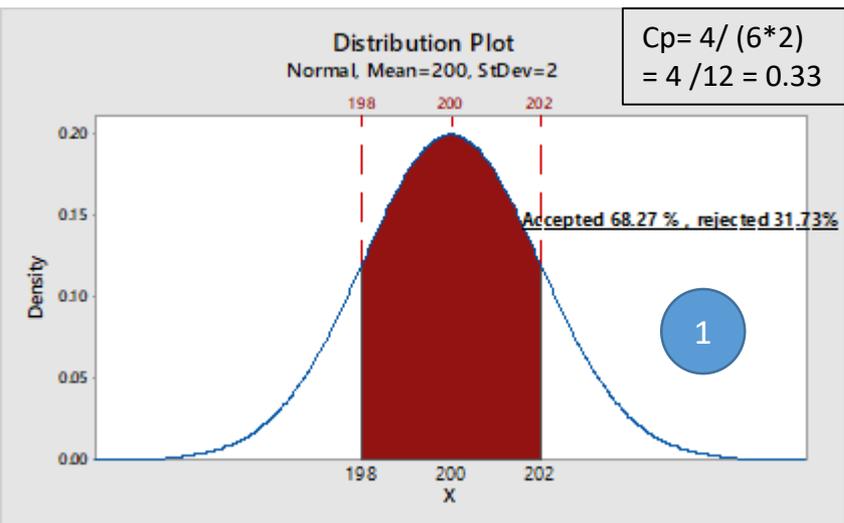
1. Find the tolerance, i.e USL-LSL
2. Find the maximum allowable SD by equation

$$6 * \sigma_{(\max)} = \text{Tolerance}$$

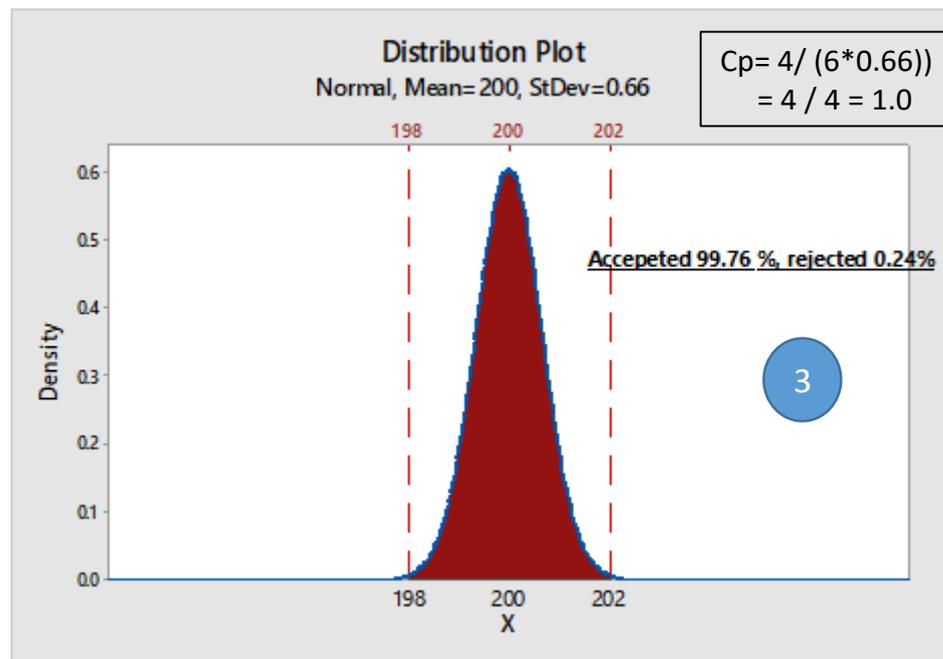
$$\sigma_{(\max)} = \text{Tolerance} / 6$$

3. This is Max allowable value of SD. It makes the process just capable.  
Any reduction in SD from this value adds on the capability of the process. Try to reduce the SD on regular basis.

# Let us recall the 3 processes and check their capabilities



| Process | Min | Max | Produced Range | Is Process Capable |
|---------|-----|-----|----------------|--------------------|
| 1       | 194 | 206 | 12             | NO                 |
| 2       | 197 | 203 | 6              | NO                 |
| 3       | 198 | 202 | 4              | YES                |



Real time scenario: Where Cp provides an optimal solution with reduction in cost & reduces not value additive activities

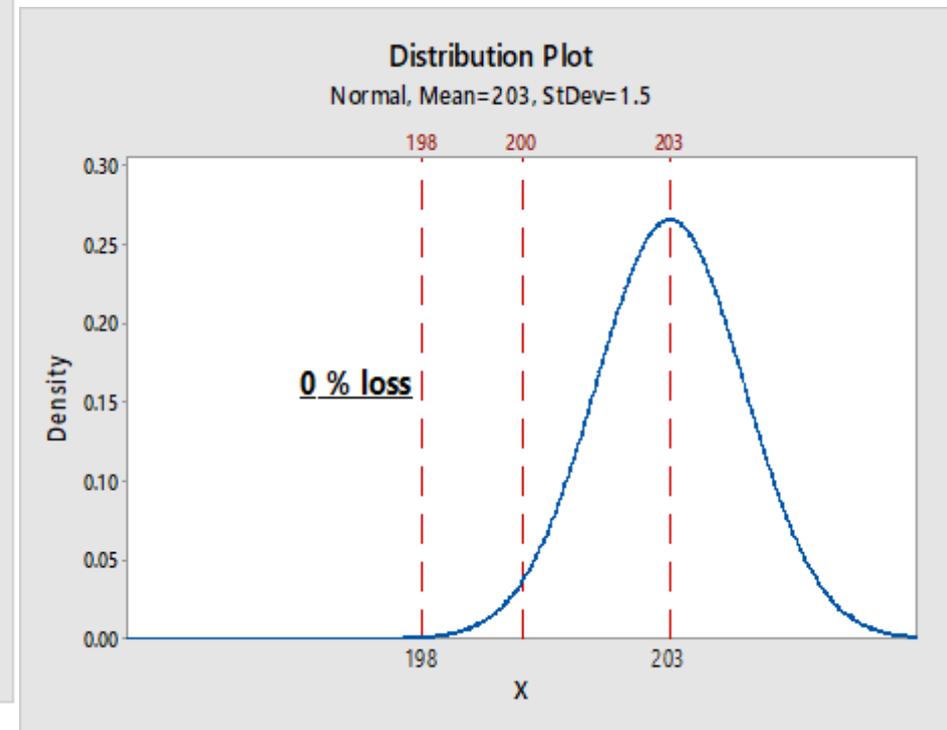
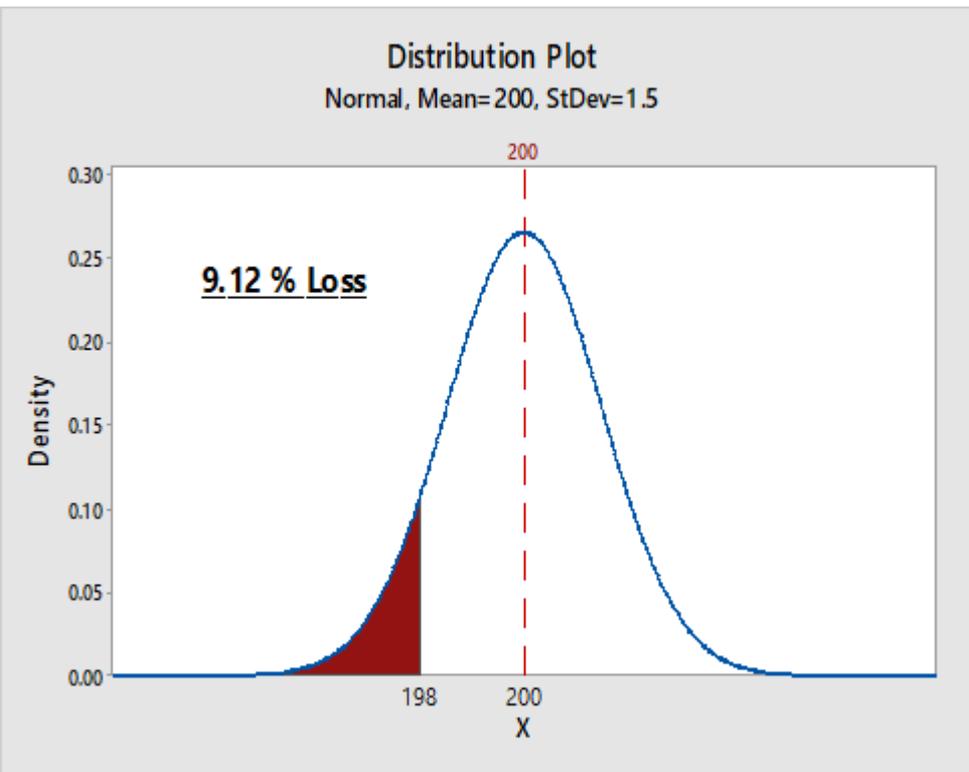
Customer is asking for 200 gsm with +/- 2 gsm and the raising voice of the customer was that sometimes he gets below LSL i.e below 198.

What shall be our target ? 199...200... 201.... ??

Constraint : Voice of the complaining customer..  
Minimum gsm 198.

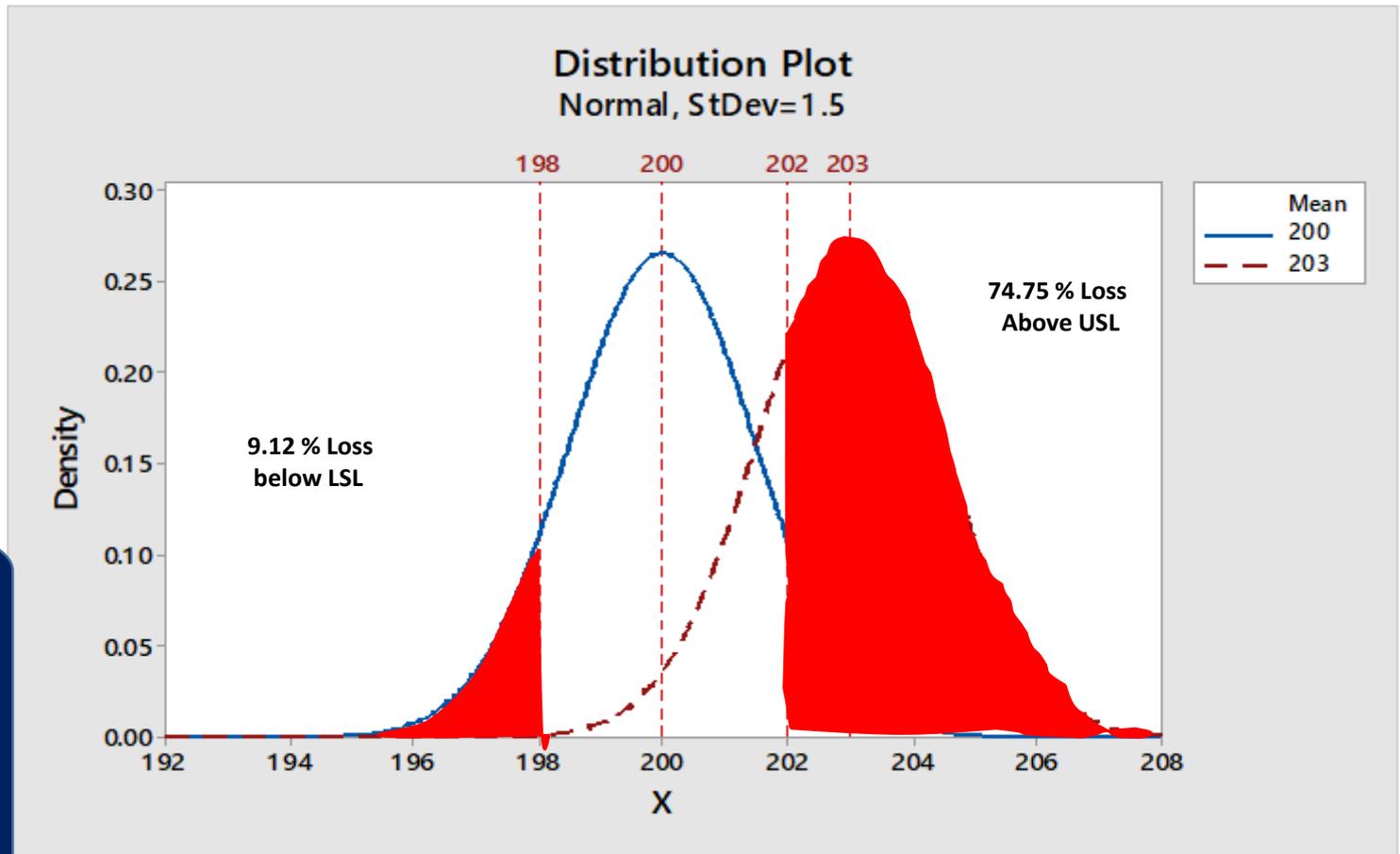
Process Sd (initially) = 1.5 ,  $C_p = (4/6 * 1.5) = 0.44$

As  $C_p < 1$  : Process is not capable enough



But Is it real a saving ??

# Let us review the gain or loss



Was it right decision to increase gsm in this case ?

Not advisable for a longer time and on continuous basis for future.  
The right way is to reduce Standard deviation.  
And to improve Process Capability

Let us check the capability of the process as such

$$\text{Tolerance} = 202 - 198 = 4, \sigma_{(\max)} = \text{Tolerance} / 6, \sigma_{(\max)} = 4/6 = 0.66$$

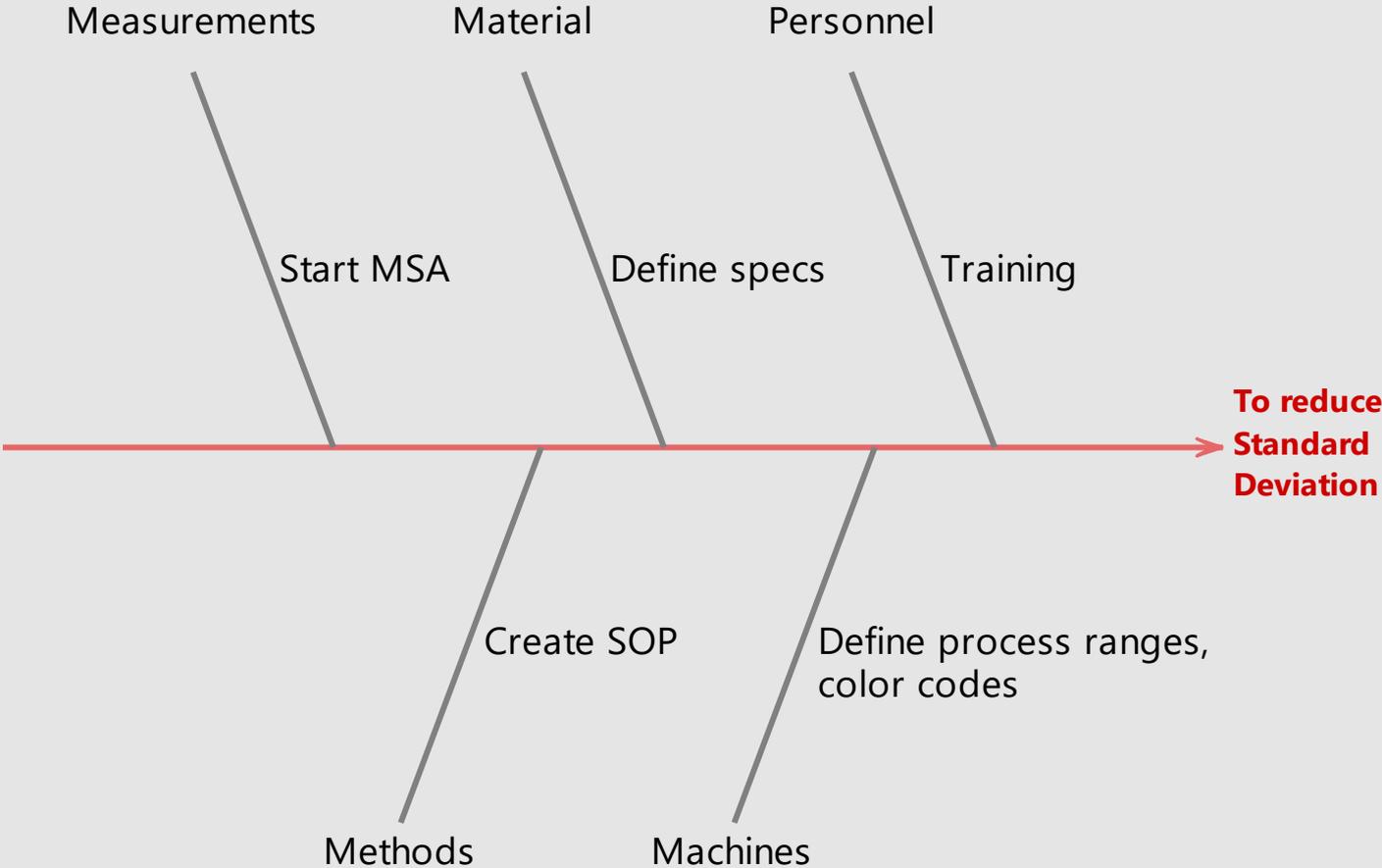
**But as such  $\sigma_{(\text{Process})} = 1.5$**

**Existing Cp =  $4/6(1.5) = 4/9 = 0.44$  – Process is not capable**

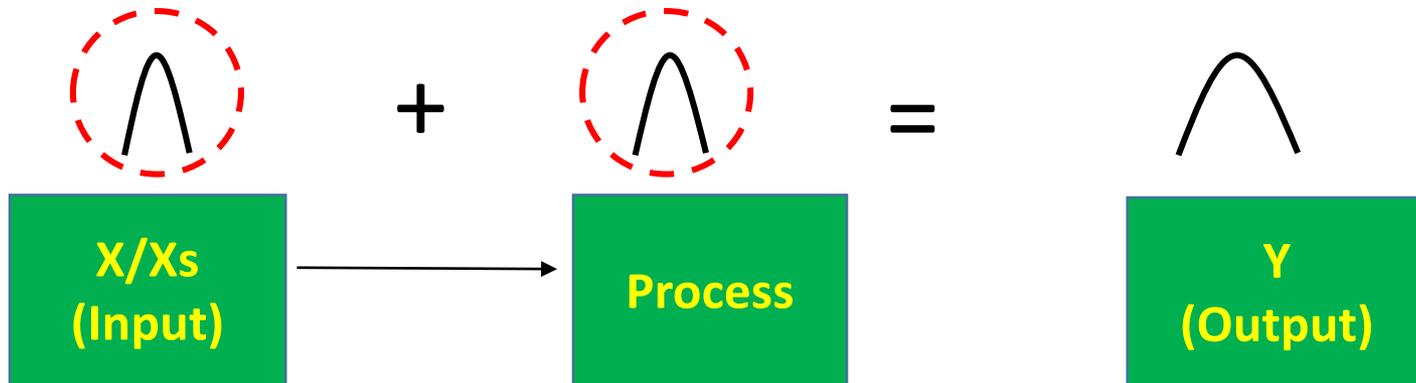
Inference : the SD has to be controlled at priority as max allowable SD is 0.66 only and we are at 1.5 SD.

# Steps to reduce SD

## Cause-and-Effect Diagram



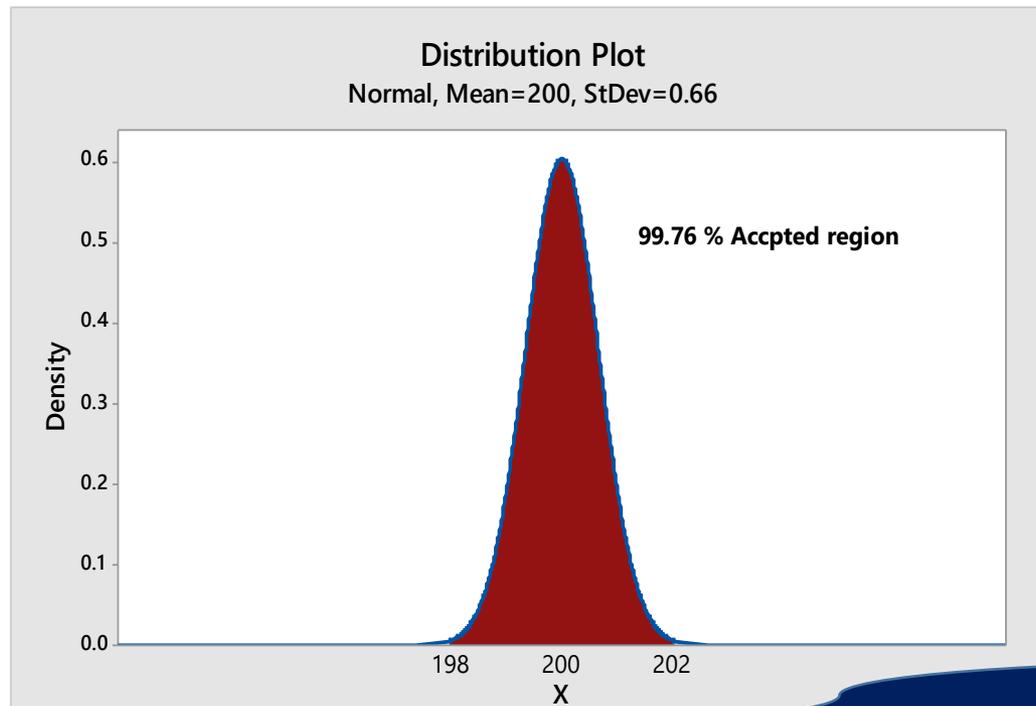
## Steps to reduce SD



1. Identify the inputs which are highly correlated with Output. **Cutoff may be at coefficient of correlation at 0.6**
2. Define these as **Key Process Input variables** and fix their ranges .
3. Control Charts can be initiate for controlling the input variable in defined range.
4. Color codes can be given for a better visual and control for these KPIVs.
5. Operating procedure to be standardized
6. Training of Members. Convert why why into Know why.. ( Approach and attitude **`To Cure`** will start converting towards **`To Prevent`**

Let us start  
journey Step 1 – process is at highest value of SD which is  
calculated as  $\sigma_{(\max)} = \text{Tolerance} / 6$

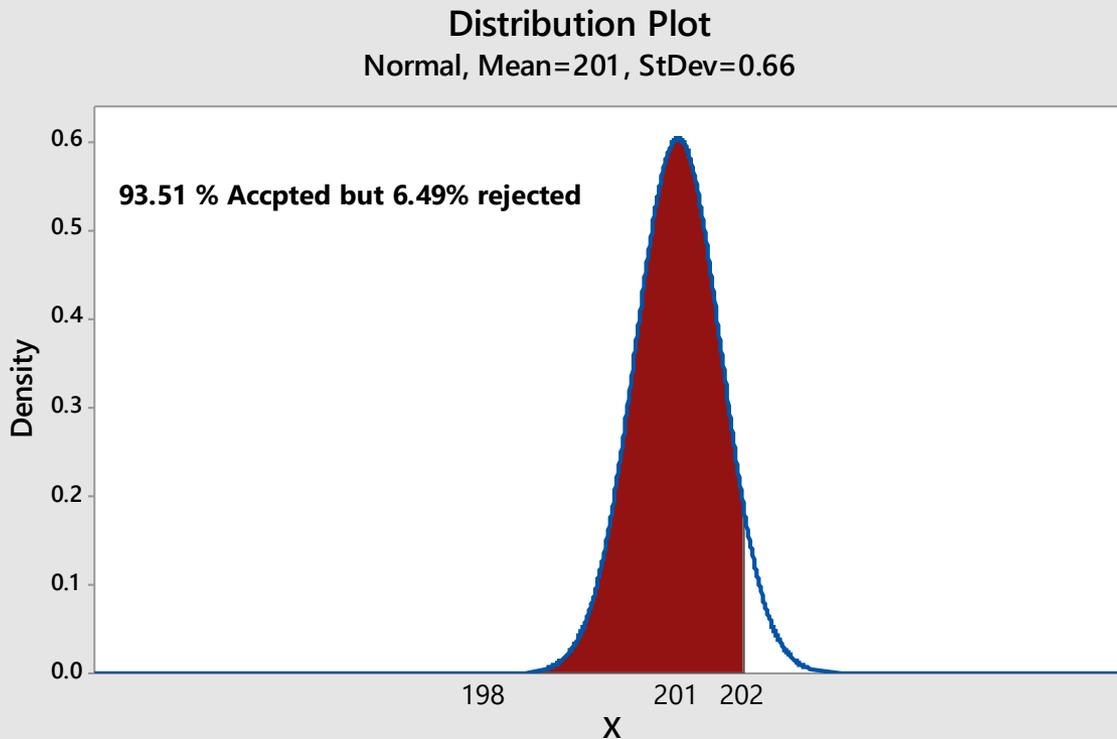
Tolerance = 202-198 = 4 ,  $\sigma_{(\max)} = \text{Tolerance} / 6 = 4/6 = 0.66$  So , **Cp = 1**



**Inference :**

**This system is Just capable , Until unless target and average are same it is ok.  
But risk is that any time it can go out of specifications.**

If Process average shifts from Target a little in just capable process having  $C_p = 1$



Inference : A just capable process is always at a risk due to any slight variation. Therefore  $C_p$  value should be higher than 1 to absorb the slight variation in running process.

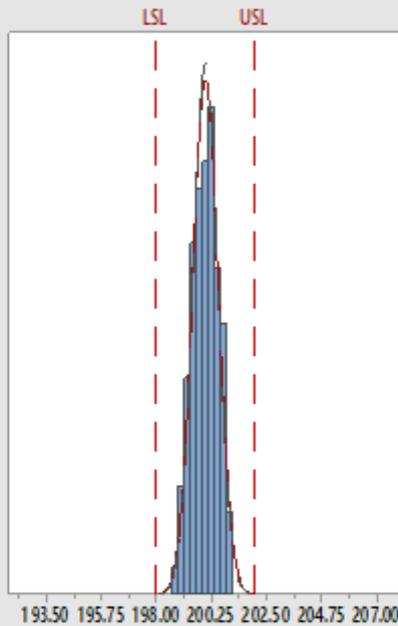
## Standard Values of Cp

| <b>Cp</b>          | <b>Process</b>  | <b>Actions to be taken</b>  |
|--------------------|---|---|
| $Cp < 1$           | Not capable   | Loss is high. COPQ is more.<br>Reduce SD.                               |
| $Cp = 1$           | Capable and able to handle if process mean is at target       | Maintaining Target is must.<br>Always at Risk.                          |
| $1.33 > Cp > 1$    | Capable and able to handle slight variation.                  | Positive Phase of the process starts. Losses start reducing.            |
| $1.67 > Cp > 1.33$ | Very good control and can absorb the variation of +/- 1 sigma | Economical benefits starts and system will absorb slight variation.     |
| $> 1.67$           | Very good control and can absorb the large variations too.    | Excellent Control on the process, some cost cutting steps can be taken. |

# Cp = 1.33 and 1.63

### Avg 200 & SD 0.52

| Process Data   |          |
|----------------|----------|
| LSL            | 198      |
| Target         | *        |
| USL            | 202      |
| Sample Mean    | 200.002  |
| Sample N       | 100      |
| StDev(Overall) | 0.525187 |
| StDev(Within)  | 0.508651 |



| Overall Capability |      |
|--------------------|------|
| Pp                 | 1.27 |
| PPL                | 1.27 |
| PPU                | 1.27 |
| Ppk                | 1.27 |
| Cpm                | *    |

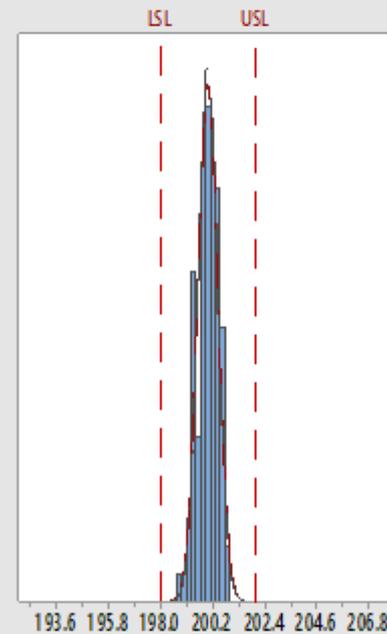
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| Potential (Within) Capability |      |
|-------------------------------|------|
| Cp                            | 1.31 |
| CPL                           | 1.31 |
| CPU                           | 1.31 |
| Cpk                           | 1.31 |

|           | Performance |                  |                 |
|-----------|-------------|------------------|-----------------|
|           | Observed    | Expected Overall | Expected Within |
| PPM < LSL | 0.00        | 68.75            | 41.33           |
| PPM > USL | 0.00        | 71.27            | 42.94           |
| PPM Total | 0.00        | 140.02           | 84.27           |

### Avg 200 & SD 0.42

| Process Data   |          |
|----------------|----------|
| LSL            | 198      |
| Target         | *        |
| USL            | 202      |
| Sample Mean    | 199.996  |
| Sample N       | 100      |
| StDev(Overall) | 0.424115 |
| StDev(Within)  | 0.408961 |



| Overall Capability |      |
|--------------------|------|
| Pp                 | 1.57 |
| PPL                | 1.57 |
| PPU                | 1.58 |
| Ppk                | 1.57 |
| Cpm                | *    |

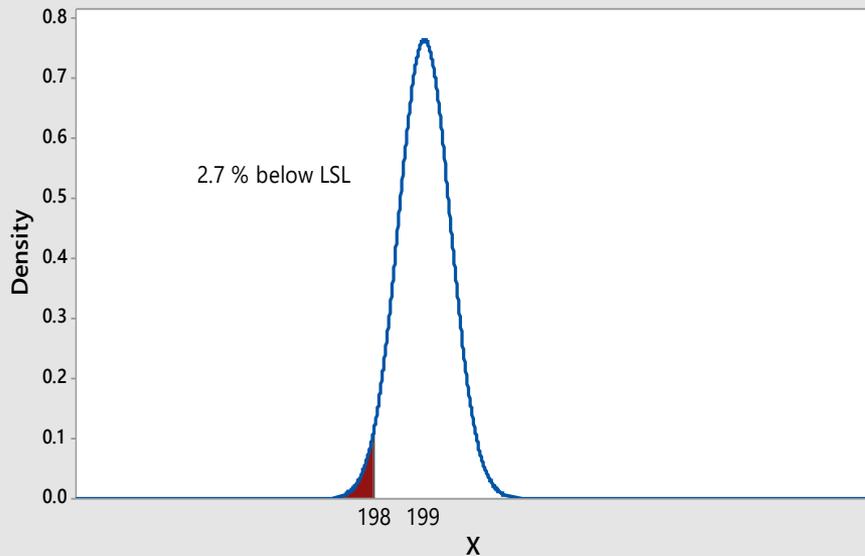
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| Potential (Within) Capability |      |
|-------------------------------|------|
| Cp                            | 1.63 |
| CPL                           | 1.63 |
| CPU                           | 1.63 |
| Cpk                           | 1.63 |

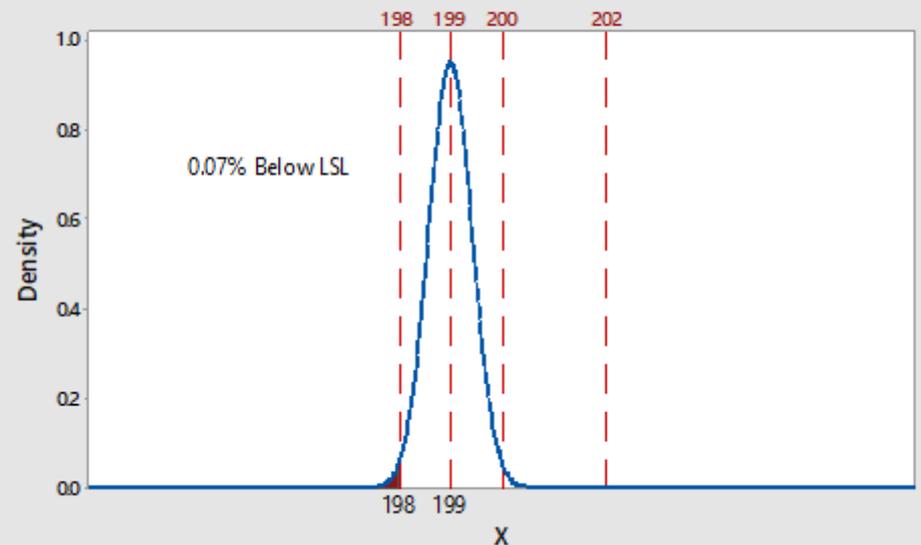
|           | Performance |                  |                 |
|-----------|-------------|------------------|-----------------|
|           | Observed    | Expected Overall | Expected Within |
| PPM < LSL | 0.00        | 1.27             | 0.53            |
| PPM > USL | 0.00        | 1.15             | 0.48            |
| PPM Total | 0.00        | 2.41             | 1.01            |

# Behavior at $C_p = 1.33$ and $1.63$

Distribution Plot  
Normal, Mean=199, StDev=0.52



Distribution Plot  
Normal, Mean=199, StDev=0.42



Inference : Higher the  $C_p$ , tighter is the control. The variation remains much within the tolerance. As during run, average is bound to shift from defined target therefore this process will take care of such variation too.

**THANK YOU**